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**ERRATA**


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**Erratum: Excitations, order parameters, and phase diagram of solid deuterium  
at megabar pressures  
[Phys. Rev. B 51, 14 987 (1995)]**

Lijing Cui, Nancy H. Chen, and Isaac F. Silvera

[S0163-1829(98)08001-1]

In Table I the (orthorhombic) space group identified as  $Pmc2_1$  should be  $Cmc2_1$ . The latter is a special case of the former. The number of allowed modes and their symmetry is correct in the table. This correction does not affect the results.

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**Erratum: Disorder in two-dimensional Josephson junctions  
[Phys. Rev. B 55, 14 499 (1997)]**

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[S0163-1829(98)08301-5]

One of the regions in our disorder-temperature ( $s$ - $t$ ) phase diagram had a negative glass order parameter  $\Delta$ , coexisting with a finite renormalized Josephson coupling  $z$ ; this region was  $s < t < \frac{1}{2}$  (see Fig. 2). While this is a formal solution of the replica symmetry breaking equations, we have realized now that this solution is unstable.

The average probability distribution of the Josephson phase  $|\varphi_J(q)|^2$  is given by  $\sim \exp[-|\varphi_J(q)|^2/2G_{\alpha,\alpha}(q)]$  [M. M'ezard and G. Parisi, J. Phys. I **1**, 809 (1991), Appendix III] where  $G_{\alpha,\alpha}(q)$  is the replica diagonal Green's function. Thus a thermodynamic stability condition is that  $G_{\alpha,\alpha}(q) > 0$  for all  $q$ . In the coexistence phase we obtain (correcting a minor error in the entry for "coexistence" in Table I)

$$G_{\alpha,\alpha}(q) = \frac{4\pi(2t-1)}{q^2+z+\Delta} + \frac{4\pi(1+2s)}{q^2+z} + \frac{4\pi z(1-2s)}{(q^2+z)^2}.$$

For  $\Delta > 0$  we have  $G_{\alpha,\alpha}(q) > 0$  for all  $q$  and the coexistence phase is valid for  $t < s < \frac{1}{2}$ . However, for  $\Delta < 0$  the minimum of  $G_{\alpha,\alpha}(q)$  is at  $q=0$  and  $G_{\alpha,\alpha}(0) > 0$  yields the stability condition  $1 - 2t < 2(z+\Delta)/z$ . From Eq. (46) we have

$$\frac{z+\Delta}{z} = e^{\left(\frac{2tv_0}{u_0}\right)^{2(1-2s)} \left(\frac{2tv_0}{\Delta_c}\right)^{2(t-s)/[(1-2t)(1-2s)]}},$$

i.e., for weak coupling  $v_0 \ll \Delta_c$  and with  $v_0/u_0 \sim O(1)$  this shows  $z+\Delta \ll z$  for all  $s < t < \frac{1}{2}$ , unless  $t-s$  is very small, of order  $1/\ln(\Delta_c/2tv_0)$ . Thus, at  $t=s$ , up to nonuniversal  $1/\ln(\Delta_c/2tv_0)$  terms, the coexistence phase becomes unstable and for  $s < t < \frac{1}{2}$  is replaced by the Josephson phase where  $\Delta=0$ ,  $z \neq 0$ . The phase boundary between the coexistence phase and the Josephson phase is therefore a continuous phase transition at the dashed line in Fig. 2, i.e.,  $s=t$ ,  $s < \frac{1}{2}$  (rather than a first-order transition at the vertical line  $t=\frac{1}{2}$ ,  $s < \frac{1}{2}$ ). All other conclusions in the paper remain intact.